CS 364 COMPUTATIONAL BIOLOGY

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Lab 3 notes

■ Fasta file format (can be used for the reads or the reference, or any other sequence)

>AT1G09780 1 training

GTGGAGTAGAAGAATTGAGAGCCTTATCAG TTTTTGAAGAGAGGGCTGAAACTCTCTAGT TATCTTTTGTTGCTTTTCTAATAATAAGAG TTTACACACAG >AT1G31812 0 testing TCCTCATCTGCAGTAACTTTATCTTAAGCA TCAAAATAACATTGCATAAGACTTGTTCTT GCTCTTGTGTTTCTATCATATTTAAGCTAT CTACTTTGTGA



de Bruijn graphs (DBGs)

Traversing DBGs

Assembling contigs with DBGs

Review Overlap Graph Assembly

Steps of Overlap Graph Assembly (also called "overlap-layout-consensus")

- 1) Compute overlaps between all pairs of reads. With R = number of reads and m = length of reads, this is naively $O(R^2m^2)$. We will learn better ways of "aligning" sequences next week.
- Construct a graph with reads as the nodes and directed, weighted edges between reads with >= T overlap.
- 3) "Layout" the graph and try to "group" stretches of the graph into "contigs" (short for contiguous), these are (hopefully) long portions of the original genome
- 4) Find a "consensus" sequence for each contig

Activity example: m = 10, T = 5

ATATATACTGGCGTATCGCAGTAAACGCGCCG

- R1: ACTGGCGTAT
- R2: TGGCGTATCG
- R3: GGCGTATCGC
- R4: CGTATCGCAG
- R5: TATCGCAGTA
- R6: CGCAGTAAAC



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$$R1 \xrightarrow{8} R2 \xrightarrow{9} R3 \xrightarrow{8} R4 \xrightarrow{8} R5 \xrightarrow{7} R6$$

Li et al, Briefings in Functional Genomics (2012)

First simplification: remove edges that can be (transitively)

inferred from other edges

Emit *contigs* corresponding to the non-branching stretches





Original string: "to_every_thing_turn_turn_turn_there_is_a_season"

Issues with overlap graph assembly

 Next-generation sequencing produces 100's of millions (or even billions) of reads

 With one node per read this is computationally intractable for large genomes

What if the nodes in our graph were not reads?

de Bruijn graphs

IJBL S (genome): GGCATTCATCG de Bruijn Graph Start with set of reads & AAABBBA? all 3-mers: GGC () take all mk-mers (k=3) GCA AAA AAB ABB BBB BBA CAT AA AA AA AR AR RE BE BR BB BA 2 form Z/R (p-1)-mers

/unique $\alpha \mid \mid$ AA, AB, BA, BB · nodes: (k-1)-mers · Edges: R-mers Call) for us: use Othereded edge from L>R ONES we see AABBA AAB ABB AA BBA # edges = # k-mers hodes overlap BER

Take each length-3 input string and split it into two overlapping substrings of length 2. Call these the *left* and *right 2-mers*.

AAABBBA

Let 2-mers be nodes in a new graph. Draw a directed edge from each left 2-mer to corresponding right 2-mer:



Each *edge* in this graph corresponds to a length-3 input string

DBG:

-Nodes: (k-1)-mers -Edges: k-mers of the genome or reads



DBGs can have multi-edges, making them multi-graphs



If we add one more B to our input string: AAABBBBA, and rebuild the De Bruijn graph accordingly, we get a *multiedge*.

Graph terminology

Directed **multigraph** *G*(*V*, *E*) consists of set of *vertices*, *V* and **multiset** of *directed edges*, *E*

Otherwise, like a directed graph

Node's *indegree* = # incoming edges

Node's *outdegree* = # outgoing edges

De Bruijn graph is a directed multigraph



 $V = \{ a, b, c, d \}$ $E = \{ (a, b), (a, b), (a, b), (a, c), (c, b) \}$ Repeated —

Graph terminology (cont.)

Node is *balanced* if indegree equals outdegree

Node is *semi-balanced* if indegree differs from outdegree by 1

Graph is *connected* if each node can be reached by some other node

Eulerian walk visits each edge exactly once

Not all graphs have Eulerian walks. Graphs that do are *Eulerian*.

A directed, connected graph is Eulerian if and only if it has at most 2 semi-balanced nodes and all other nodes are balanced

Jones and Pevzner section 8.8



Graph terminology (cont.)

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Back to our De Bruijn graph





Is it Eulerian? Yes

Argument 1: $AA \rightarrow AA \rightarrow AB \rightarrow BB \rightarrow BB \rightarrow BA$

Argument 2: AA and BA are semi-balanced, AB and BB are balanced

How to get the sequence from an Eulerian path?

Back to our De Bruijn graph





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Handout 5: page 1

<u>Goals:</u>

- 1) Practice the mechanics of constructing a de Bruijn graph
- 2) See issues that that affect both OLC and DBG assembly
- 3) Think about how we would ask a computer to find an Eulerian path

UBL in coming =1 = start node outgoing 4 B n - k + 1 = 0(n) \mathcal{D} ZAB FAB ABC ZA BCD BE ()CDAk-merk 10 edges DAB 9 nodes 10 Rdges ABE BEF EFA

5ZABCPABEFABY Sequally ZABEFABCDABY Sequally Jaid 6) NO > each edge adds lin + lout reducing in 4 out degree by 1 all nodes still balanced

Fleury's Algorithm

- Start with vertex *u* where (outdegree indegree) = 1
- Until there are no more edges:

Choose e = (u, v) where removing e will not disconnect the graph (if possible) Traverse e, delete e, and proceed with u = v

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Avoids going from: A -> B -> C And then getting stuck

Recursive algorithm

find_tour(u, tour):
for each edge e = (u,v):
 remove e
 find_tour(v, tour)
 push u onto tour

To use in practice:

- Start with tour as an empty stack
- Start at any node **u** (or start at a node with (outdegree indegree) = 1 for a path)
- After completion, pop elements off tour to find the correct order

find - tour (u)for edge e=(u,v): remove e out our stach Find-tour (V) push u onto stack unition stack final seq. DEABCAD

Handout 5: page 2

Issues with DBGs

Gaps in coverage can lead to *disconnected* graph

Graph for a_long_long_long_time, k = 5 but omitting ong_t:



Connected components are individually Eulerian, overall graph is not

Issues with DBGs

De Bruijn graph

Differences in coverage also lead to non-Eulerian graph

Graph for a_long_long_long_time, k = 5 but with *extra copy* of ong_t:

Graph has 4 semi-balanced nodes, isn't Eulerian



Issues with DBGs

De Bruijn graph

Errors and differences between chromosomes also lead to non-Eulerian graphs

Graph for a long long long time, k = 5 but with error that turns a copy of long into lxng

Graph is not connected; largest component is not Eulerian

