Runtime Practice

For each of the following pseudocode blocks, how many steps are needed to execute the code? Answer in big-O notation in terms of n. (Note: some are from CS106 but I know people had different versions.) *Credit: Jeff Knerr*

1. ```
   n = int(input("n: "))
   for i in range(n):
     print(i)
   ```

2. ```
   n = int(input("n: "))
   for i in range(100):
     print(i*n)
   ```

3. ```
   n = int(input("n: "))
   for i in range(n):
     print(i)
   for j in range(n):
     print(j)
   ```

4. ```
   n = int(input("n: "))
   for i in range(n):
     for j in range(n):
       print(i, j)
   ```

5. ```
   n = int(input("n: "))
   for i in range(n):
     for j in range(i,n):
       print(i, j)
   ```

6. ```
   n = int(input("n: "))
   for i in range(n):
     for j in range(10):
       print(i, j)
   ```

7. ```
   n = int(input("n: "))
   while n > 1:
     print(n)
     n = n/2
   ```

8. ```
   arraylst = {1,2,5,7,13,21,24,25,26,33,34,38,50,57,58,63}
   n = arraylst.length
   mid = int(n/2)
   print lst[mid]
   ```

9.
```
n = int(input("n: "))
for i in range(n):
  k = n
  while k > 1:
    print(i, k)
    k = k/2
```

10.
```
n = int(input("n: "))
T = 1
for i in range(n):
  for t in range(T):
    print(i,t)
  T *= 2
```

11. Our analytic solution to linear regression was:

$$\vec{w} = (X^T X)^{-1} X^T \vec{y}$$

where the shape of X is $(n, p+1)$ and the shape of y is $(n, 1)$. What is the runtime (in big-O notation) of computing the analytic solution in terms of n and p?